

Data structure :- Datastructure is a particular way of organized data in particular format in a computer that provides efficient way to access data and modification.

Linear DS :- ~~The Datastructure whose~~ ~~A linear datastructure have~~ data elements are arranged in sequential manner and each element is connected its previous and next elements. It is also called Single-Level DS.

Non-Linear DS :- ~~The Datastructure whose~~ ~~Non-linear DS~~ data elements are not arranged sequentially or linearly. It is also called multilevel DS.

# NOTES

DATE

~~STACK~~

~~A stack~~

## Classification of Data Structures

① Simple Data Structure

(a) Homogeneous DS

A DS is said to be homogeneous, if the elements are of similar type.

⇒ Array

(b) Non-Homogeneous DS

A DS is said to be non-homogeneous, if the elements may not be the same similar type.

⇒ Structure

Q. What are primitive and non-primitive datatypes?

A. Primitive datatypes are those datatypes, which are not composed of other datatypes.

Non-primitive datatypes are those datatypes, which are composed of primitive datatypes.

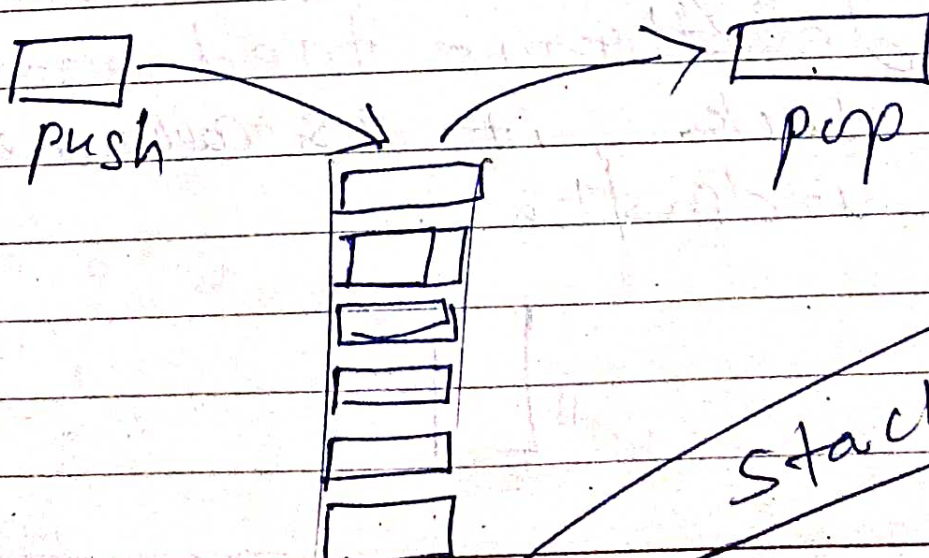
# NOTES

DATE

Stack : A stack is a linear data structure implemented in LIFO (Last In First Out) manner where insertions and deletions are restricted to occur only at one end - Stack's ~~top~~ top.

LIFO means element last inserted would be the first one to be deleted.

The Stack is also a dynamic data structure as it can grow (with increase in number of elements) or shrink (with decrease in number of elements).



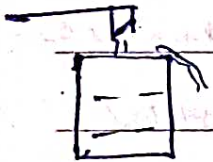
# NOTES

DATE

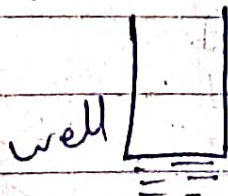
Pushing :- An insertion in a stack is called pushing.

Poping - A deletion from a stack is called poping.

Overflow :- When a stack implemented as an array is full and no new element can be accommodated, it is called an overflow.



Underflow - When a stack is empty and an element's deletion is tried from the stack, it is called an underflow.



# NOTES

## Application of Stacks

DATE

### polish string

polish string refers to infix prefix and postfix notation.

~~It is used for conversion of complex arithmetic expression into machine readable form using stack.~~

It is used for conversion of complex arithmetic expression in high level language into machine readable form using stack.

Infix Notation: In this notation, the operator symbol is placed in between the operands.

e.g.  $a + b$

## prefix Notation

In this notation, the operator symbol is placed before its operands.

eg  $+ab$

## postfix Notation

In this notation, the operator symbol is placed after its operands.

eg  $ab+$

## \* Evaluation order

I. Brackets or parentheses

II. Exponentiation or Exponent (POW)

III. Multiplication or Division

IV. Addition or Subtraction

The operators ~~are~~ with same priority are evaluated from left to right.

# NOTES

DATE

i.e.  $[ ] ( ) \uparrow * / + -$

Arithmetic operator  
 $\uparrow * / + -$

Logical operator ! && ||

NOT AND OR

Algorithm for push operation in stack

Insertion in a stack as an Array (pushing)

Take an array  $stack[]$  with  $N$  element  
and  $item$  is the value  
to be push on the top of the stack.  
The variable  $top$  is pointing to the  
topmost element of the stack.

step

1 if  $top == N - 1$  then

2 print "Overflow!!; exit from program"

3 Else

4  $top = top + 1$

5  $stack[top] = item$

6 END



# NOTES

DATE

e.g.  $stack[ ]$   
 $N=4$

I. item = 70

Top = 3

3	60
2	50
1	40
0	30

II. item = 70

Top = 2

3	
2	50
1	40
0	30

III. item = 70

Top = -1


# NOTES

2010

DATE

## Algorithm for pop operation in stack

Take an array  $stack[]$  with  $N$  element and  $item$  is the variable to be store the deleted value from stack. The variable  $top$  is pointing to the topmost element of stack.

step (i) if  $top == -1$  (or  $top < 0$ ) then

(ii) print "Underflow!!" exit from program

(iii) Else

(iv)  $item = stack[top]$   
(print <sup>or</sup>  $stack[top]$ )

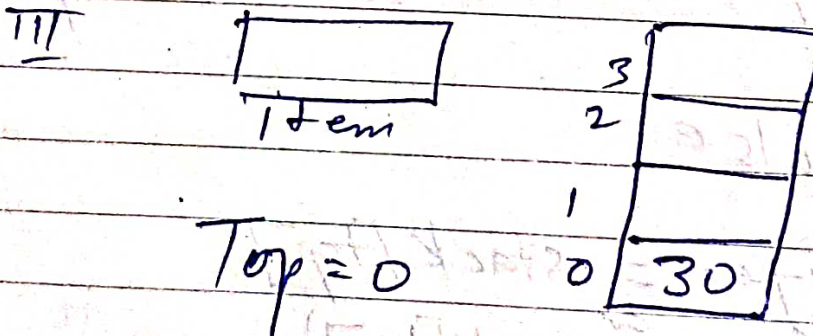
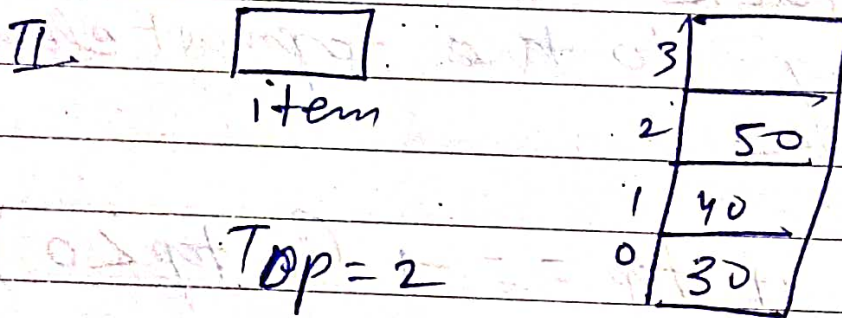
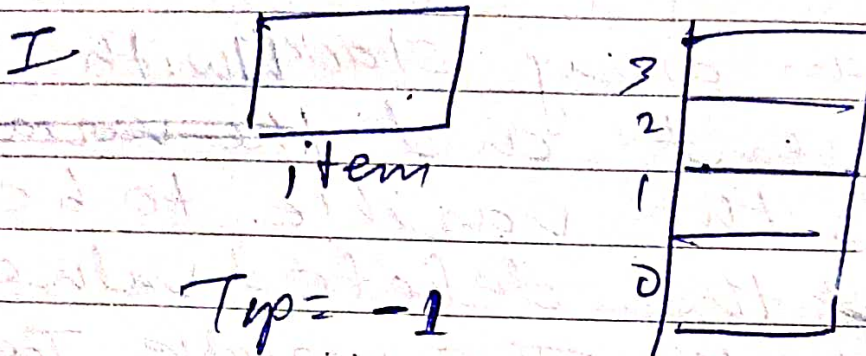
(v)  $top = top - 1$

(vi) End

# NOTES

DATE

eg  $stack[]$   
 $N=4$

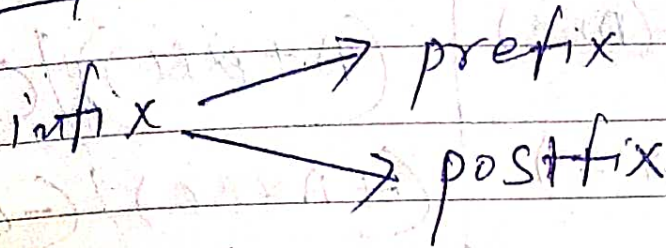


# NOTES

## Conversion

DATE \_\_\_\_\_

### 1) Expression Method



EX (I)  $a + b * c$

prefix	postfix
$a + b * c$	$a + b * c$
$a + ( * b c )$	$a + ( b c * )$
$= + a * b c$	$a b c * +$

(II)  $a + b * c / d$  20009

prefix	postfix
$a + b * c / d$	$a + b * c / d$
$a + ( * b c ) / d$	$a + ( b c * ) / d$
$a + / * b c d$	$a + b c * d /$
$+ a / * b c d$	$a b c * d / +$

(III)  $(a + b) / (c * d)$

prefix	postfix
$( + a b ) / ( * c d )$	$( a b + ) / ( c d * )$
$/ + a b * c d$	$a b + c d * /$

# NOTES

Q1  $(A + (B \times C)) / (C - (D \times B))$  DATE 20/10

postfix

postfix

$(A + (BC \times)) / (C - (DB \times))$

$(A + (BC \times)) / (C - (DB \times))$

$(ABC \times +) / (CDB \times -)$

$(+A \times BC) / (-C \times DB)$

$ABC \times + CDB \times - /$

$/ + A \times BC - C \times DB$

Q2  $(A + B) \times C / D \uparrow E$

prefix

postfix

$(+AB) \times C / (\uparrow DEF)$

$(AB+) \times C / (D \uparrow E)$

$(\times + ABC) / (\uparrow DEF)$

$(AB + C \times) / (C D \uparrow E)$

$/ \times + ABC \uparrow DEF$

$AB + C \times E D \uparrow E /$

20/9

Q3 convert from infix to postfix to following expression

$A + B \times C / D$

prefix

postfix

2010

# NOTES

2010 Translate following infix expression into its equivalent prefix expression

$$A + (B * C) / (C - (D * B))$$

2012 Translate each of the following infix expression to postfix form

(a)  $(A + B * C - D) / (E * F)$

(b)  $A + ((C * (B - C * (D - E) + F)) / G) * (H - I)$

prefix

$$A + ((C * (B - C * (D - E) + F)) / G) * (H - I)$$

$$= A + ((C * (B - (C * D - E) + F)) / G) * (H - I)$$

$$= A + ((C * (B - (C * D - E + F))) / G) * (H - I)$$

$$= A + ((C * (B + C * D - E + F)) / G) * (H - I)$$

$$= A + ((C * (B + C * D - E + F) / G) * (H - I))$$

$$= A + (* / - B + * C - D E F G - H I)$$

$$= + A * / - B + * C - D E F G - H I$$

# NOTES

DATE

$$\begin{aligned}
 & A + ((C B - C * (D - E) + F) / G) * (H - I) \\
 &= A + ((B - C * (D - E) + F) / G) * (H - I) \\
 &= A + ((C B - (C D E - *) + F) / G) * (H - I) \\
 &= A + ((B - (C D E - * F +)) / G) * (H - I) \\
 &= A + (C (B C D E - * F + -) / G) * (H - I) \\
 &= A + ((B C D E - * F + - G) / H I - *) \\
 &= A + (B C D E - * F + - G / H I - *) \\
 &= A B C D E - * F + - G / H I - * A
 \end{aligned}$$

# NOT AND OR

Q NOT A OR NOT B AND NOT C

NOT A OR NOT B AND NOT C DATE

prefix

$(A \text{ NOT}) \text{ OR } (B \text{ NOT}) \text{ AND } (C \text{ NOT})$

$(A \text{ NOT}) \text{ OR } (B \text{ NOT } C \text{ NOT AND})$

$A \text{ NOT } B \text{ NOT } C \text{ NOT AND OR}$

prefix

$(\text{NOT } A) \text{ OR } (\text{NOT } B) \text{ AND } (\text{NOT } C)$

$(\text{NOT } A) \text{ OR } (\text{AND NOT } B \text{ NOT } C)$

$\text{OR NOT } A \text{ AND NOT } B \text{ NOT } C$

Q (True & False) || !(False || True)

prefix

$(\& \text{TF}) \text{ || } !( \text{ || FT} )$

$(\& \text{TF}) \text{ || } (! \text{ || FT} )$

$\text{ || } \& \text{TF} ! \text{ || FT}$

postfix

$(\text{TF} \&) \text{ || } !( \text{FT} \text{ ||} )$

$(\text{TF} \&) \text{ || } (\text{FT} \text{ ||} !)$

$\text{TF} \& \text{ FT} \text{ ||} ! \text{ ||}$



2017/2015

## NOTES

9 Transform each of the following expressions to infix form

(i)  $+ - ABC$

(ii)  $+ A - BC$

(iii)  $+ - / AC * D \uparrow FFC$

# NOTES

DATE

$$\textcircled{\text{II}} \quad + A - \underline{B C}$$

$$+ A (B - C)$$

$$A + (B - C)$$

$$\textcircled{\text{III}} \quad + - \underline{A C} \times \underline{D T E F G}$$

$$+ - (A C) \times D (E T F) G$$

$$+ - (A C) (D \times E T F) G$$

$$+ ((A C) - (D \times E T F)) G$$

$$((A C) - (D \times E T F)) + G$$

# Conversion

## NOTES

### Tabular Method DATE

Q Obtain the postfix notation of the following infix notation of expression. showing the contents of the stack and postfix expression formed after each step of conversion.

~~2011~~  $A * B + (C - D) / F$

2013  $A * B + (C - D) / (E * F)$

IV  $(A + B) * C / D \uparrow F$

V NOT A OR NOT B NOT C

VI  $(True \& False) || !(False || True)$